## Appendix A - Model equations

Firms Transactions and Profit

```
\(Y_{d}=C+I N+G-C_{I N T}\)
1) Aggregate demand (constant prices, 2010 USD)
\(Y_{s}=Y_{d}\)
(2) Aggregate supply (equilibrium condition)
\(N Y=Y_{s} \cdot \frac{p}{p_{[2010]}}\)
\(C_{I N T}=c_{0}+c_{1} \cdot C_{I N T,-1}\)
Intermediate consumption
\(W B=w \cdot N \cdot H\)
(5) Wage bill
\(\omega=\frac{W B}{Y}\)
(6) Wage share
\(L_{f}=L_{f,-1}+I_{f}+B E-C_{I N T}-d\left(e_{s}\right) \cdot p_{e}-F_{f u}\)
(7) Loans to firms
\(F_{f}=Y_{d}-W B-r_{l,-1} \cdot L_{f,-1}-T A X_{f}\)
(8) Firms' total profit (net of taxes)
\(F_{f u}=F_{f} \cdot \theta\)
(9) Firms' retained profit
\(F_{f d}=F_{f}-F_{f u}\)
(10) Firms' distributed profit
```


## Firms Investment Decisions

```
\(K_{c}=K_{c,-1}+I_{c}-D A_{c}\)
```

$K_{c}=K_{c,-1}+I_{c}-D A_{c}$
(11) Conventional capital stock
(11) Conventional capital stock
$I_{f}=h \cdot E\left(Y_{d}\right) \cdot\left(1-d_{T,-1}\right)$
$I_{f}=h \cdot E\left(Y_{d}\right) \cdot\left(1-d_{T,-1}\right)$
(12) Total private investment
(12) Total private investment
$u=u_{-1} \cdot \frac{1+g_{Y}}{\left(1+g_{k}\right) \cdot\left(1+g_{A f}\right)}$
$u=u_{-1} \cdot \frac{1+g_{Y}}{\left(1+g_{k}\right) \cdot\left(1+g_{A f}\right)}$
$h=\left[1+\phi \cdot\left(u_{-1}-u_{n}\right)\right] \cdot h_{-1}$
$h=\left[1+\phi \cdot\left(u_{-1}-u_{n}\right)\right] \cdot h_{-1}$
$I_{c}=I_{f}-I_{g r}$
$I_{c}=I_{f}-I_{g r}$
$D A_{c}=\delta_{c} \cdot K_{c,-1}$
$D A_{c}=\delta_{c} \cdot K_{c,-1}$
15) Conventional investment undertaken by firms
15) Conventional investment undertaken by firms
$A_{c} \quad \delta_{c} \quad K_{c,-1}$
$A_{c} \quad \delta_{c} \quad K_{c,-1}$
(16) Depreciation allowances on conventional capital
(16) Depreciation allowances on conventional capital
$I_{g r}=\gamma_{g r} \cdot I_{f}$
$I_{g r}=\gamma_{g r} \cdot I_{f}$
17) Green private investment
17) Green private investment
$\gamma_{g r}=\gamma_{0}^{g r}+\gamma_{1}^{g r} \cdot \gamma_{g r,-1}+\gamma_{2}^{g r} \cdot \frac{G_{g r,-1}}{G_{-1}}+\gamma_{3}^{g r} \cdot d_{T,-1}+\gamma_{4}^{g r} \cdot \frac{C_{g r,-1}}{C_{-1}}+\gamma_{5}^{g r} \cdot \tau_{f,-1}$ (18) Share of green investment to total investment
$\gamma_{g r}=\gamma_{0}^{g r}+\gamma_{1}^{g r} \cdot \gamma_{g r,-1}+\gamma_{2}^{g r} \cdot \frac{G_{g r,-1}}{G_{-1}}+\gamma_{3}^{g r} \cdot d_{T,-1}+\gamma_{4}^{g r} \cdot \frac{C_{g r,-1}}{C_{-1}}+\gamma_{5}^{g r} \cdot \tau_{f,-1}$ (18) Share of green investment to total investment
$K_{g r}=K_{g r,-1}+I_{g r}-D A_{g r}$
$K_{g r}=K_{g r,-1}+I_{g r}-D A_{g r}$
(19) Green capital stock
(19) Green capital stock
$K_{f}=K_{c}+K_{g r}$
$K_{f}=K_{c}+K_{g r}$
(20) Total stock of capital at constant prices
(20) Total stock of capital at constant prices
$D A_{g r}=\delta_{g r} \cdot K_{g r,-1}$
$D A_{g r}=\delta_{g r} \cdot K_{g r,-1}$
(21) Depreciation allowances on green capital

```
(21) Depreciation allowances on green capital
```

$$
\begin{aligned}
& D A_{f}=D A_{c}+D A_{g r} \\
& B E=\gamma_{0}^{\text {tech }}+\gamma_{1}^{\text {tech }} \cdot G_{t e c h,-1} \\
& I N=I_{f}+B E \\
& e_{S}=e_{s,-1}+\chi \cdot \frac{I_{f,-1}}{p_{e,-1}} \\
& g_{Y}=\frac{\Delta Y}{Y_{-1}} \\
& g_{N Y}=\frac{\Delta N Y}{N Y_{-1}} \\
& g_{K}=\frac{\Delta K_{f}}{K_{f,-1}}
\end{aligned}
$$

(22) Total depreciation allowances
(23) Private non-green innovative spending
(24) Total spending for investment and innovation
(25) Quantity of new shares issued by firms as a percentage of planned investment
(26) Real output growth rate
(27) Nominal output growth rate
(28) Rate of accumulation of total capital

Households Income and Wealth

```
\(Y D_{w}=W B+r_{d,-1} \cdot D_{w,-1}-T_{w}-r_{l,-1} \cdot L_{w,-1}-V A T_{w}\)
\(Y D_{\pi}=F_{f d}+F_{b}+r_{d,-1} \cdot D_{\pi}+r_{b,-1} \cdot B_{d,-1}-T_{\pi}-V A T_{\pi}\)
\(Y D_{\pi}^{h s}=Y D_{\pi}+C G\)
\(Y D=Y D_{w}+Y D_{\pi}\)
\(S_{w}=Y D_{w}-C_{w}\)
\(N W_{w}=N W_{w,-1}+S_{w}\)
\(L_{w}=L_{w,-1} \cdot(1-r e p)+\psi \cdot C_{w}\)
bur \(=\frac{L_{w,-1} \cdot\left(r e p+r_{l,-1}\right)}{Y D_{w}}\)
\(N W_{\pi}=N W_{\pi,-1}+Y D_{\pi}^{h s}-C_{\pi}\)
\(N W=N W_{w}+N W_{\pi}\)
```

Households Consumption Decisions
$C_{w}=\left[c_{w} \cdot Y D_{w} \cdot \frac{E\left(p_{w}\right)}{p_{w}}+c_{a w} \cdot N W_{w,-1} \cdot \frac{E\left(p_{w}\right)}{p_{w}}\right] \cdot\left(1-d_{T,-1}\right)$
(40) Total consumption of LC (net of climate-related damages)
$C_{\pi}=\left[c_{\pi} \cdot Y D_{\pi}^{h s} \cdot \frac{E\left(p_{\pi}\right)}{p_{\pi}}+c_{a \pi} \cdot N W_{\pi,-1} \cdot \frac{E\left(p_{\pi}\right)}{p_{\pi}}\right] \cdot\left(1-d_{T,-1}\right)$
(41) Total consumption of UC (net of climate-related damages)
$C_{g r}^{w}=c_{g r}^{w} \cdot C_{w}$
(29) LC disposable income
(30) UC's disposable income
(31) UC's Haig-Simons disposable income
(32) Total disposable income
(33) LC's saving
(34) Net wealth of LC
(35) Loans to LC
(36) Debt burden of LC
(37) Net wealth of UC
(39) Total net wealth of households

```
\(C_{g r}^{\pi}=c_{g r}^{\pi} \cdot C_{w}^{\pi}\)
\(C_{c}^{w}=C_{w}-C_{g r}^{w}\)
\(C_{c}^{\pi}=C_{\pi}-C_{c}^{w}\)
\(c_{g r}^{w}=c_{0}^{w}+c_{1}^{w} \cdot d_{T,-1}+c_{2}^{w} \cdot\left(v a t_{c}-v a t_{g r}\right)\)
\(c_{g r}^{\pi}=c_{0}^{\pi}+c_{1}^{\pi} \cdot d_{T,-1}+c_{2}^{\pi} \cdot\left(v a t_{c}-v a t_{g r}\right)\)
\(C=C_{w}+C_{\pi}\)
\(C_{g r}=C_{g r}^{w}+C_{g r}^{\pi}\)
```

(43) Green consumption of UC
(44) Routine consumption of LC
(45) Routine consumption of UC
(46) Green consumption share of LC
(47) Green consumption share of UC
(48) Total consumption
(49) Total green consumption

Households Portfolio Decisions
$p_{e}=E\left(N W_{\pi}\right) \cdot\left[\lambda_{10}+\lambda_{11} \cdot E\left(r_{e}\right)+\lambda_{12} \cdot \frac{E\left(Y D_{\pi}\right)}{E\left(N W_{\pi}\right)}+\lambda_{13} \cdot E\left(r_{b}\right)+\lambda_{14} \cdot E\left(r_{d}\right)\right] \cdot \frac{1}{e_{d}}$
(50) Unit price of shares
$e_{d}=e_{s}$
(51) Equilibrium condition for the stock market
$E_{d}=e_{d} \cdot p_{e}$
(52) Nominal shares held by capitalist households
$B_{d}=E\left(N W_{\pi}\right) \cdot\left[\lambda_{20} \cdot+\lambda_{21} \cdot E\left(r_{e}\right)+\lambda_{22} \cdot \frac{E\left(Y D_{\pi}\right)}{E\left(N W_{\pi}\right)}+\lambda_{23} \cdot E\left(r_{b}\right)+\lambda_{24} \cdot E\left(r_{d}\right)\right]$
(53) Nominal government bills held by capitalist households
$D_{\pi}=E\left(N W_{\pi}\right) \cdot\left[\lambda_{30}+\lambda_{31} \cdot E\left(r_{e}\right)+\lambda_{32} \cdot \frac{E\left(Y D_{\pi}\right)}{E\left(N W_{\pi}\right)}+\lambda_{33} \cdot E\left(r_{b}\right)+\lambda_{34} \cdot E\left(r_{d}\right)\right]$
(54) Deposits held by capitalist households
$H_{\pi}=N W_{\pi}-E_{d}-B_{d}-D_{\pi}$
(55) Cash held by capitalist households
$D_{w}=N W_{w}^{G}-H_{w}$
(56) Deposits held by LC
$N W_{w}^{G}=N W_{w}+L_{w}$
(57) Gross wealth of LC
$H_{w}=\lambda_{w} \cdot N W_{w}^{G}$
(58) Cash held by LC
$D_{d}=D_{w}+D_{\pi}$
(59) Total demand for bank deposits
$H_{d}=H_{w}+H_{\pi}$
(60) Total demand for cash

Commercial Banks and Central Bank
$D_{s}=D_{d}$
(61) Supply of bank deposits
$A_{d}=D_{s}-L_{s}+H_{d}^{B}$
(62) Demand for advances (+) / Excess reserves (-)
(63) Supply of advances (+) / Excess reserves (-)
$A_{s}=A_{d}$
(64) Reserve requirement (demand)

```
\(H_{s}^{B}=H_{d}^{B}\)
\(L_{s}=L_{s,-1}+d\left(L_{d}\right)\)
\(L_{d}=L_{f}+L_{w}\)
\(F_{b}=L_{s,-1} \cdot r_{l,-1}-D_{s,-1} \cdot r_{d,-1}\)
\(B_{c b}=B_{s}-B_{d}\)
\(H_{s}=B_{c b}+A_{s}-H_{s}^{B}\)
\(r_{l}=r_{c b}+\mu_{l}\)
\(r_{d}=r_{c b}\)
```

Other Financial Variables and Indices
$C G=e_{s,-1} \cdot d\left(p_{e}\right)$
$r_{e}=\frac{F_{f}}{e_{S,-1} \cdot p_{e,-1}}$
$q=\frac{e_{s} \cdot p_{e}+L_{f}}{K_{f}}$
$\ell=\frac{L_{f}}{e_{s} \cdot p_{e}+L_{f}}$
per $=\frac{p_{e}}{F_{f} / e_{s,-1}}$

## Government Spending and Taxation

$T A X=T A X_{f}+T A X_{w}+T A X_{\pi}+V A T_{w}+V A T_{\pi}$
$V A T_{w}=C_{w} \cdot \frac{v a t_{w}}{1+v a t_{w}}$
$V A T_{\pi}=C_{\pi} \cdot \frac{v a t_{\pi}}{1+v a t_{\pi}}$
$v a t_{w}=v a t_{g r} \cdot \frac{c_{g}^{w} r}{C_{w}}+v a t_{c} \cdot \frac{c_{c}^{w}}{c_{w}}$
$v a t_{\pi}=v a t_{g r} \cdot \frac{C_{g r}^{\pi}}{C_{\pi}}+v a t_{c} \cdot \frac{C_{c}^{\pi}}{C_{\pi}}$
$\operatorname{TAX}_{f}=\tau_{f} \cdot e m i s_{i n,-1}$
(65) Reserve requirement (supply)
(66) Supply of loans (endogenous)
(67) Total demand for loans
(68) Bank profit
(69) T-bills purchased by CB (residual amount)
(70) Money created by CB
(71) Interest rate on bank loans
(72) Return rate on bank deposits
(73) Capital gains/losses on shares
(74) Dividend yields
(75) Tobin's q
(76) Firms' leverage ratio
(77) Price-earnings ratio
(78) Total tax revenue
(79) Taxes on value added paid by LC
(80) Taxes on value added paid by UC
(81) Average VAT rate for LC
(82) Average VAT rate for UC
(83) Taxes on firms' emissions (carbon tax)

```
\(T A X_{w}=\tau_{w} \cdot\left(W B+r_{d,-1} \cdot D_{w,-1}\right)\)
\(T A X_{\pi}=\tau_{\pi} \cdot\left(F_{f d}+F_{b}+r_{d,-1} \cdot D_{\pi,-1}+r_{b,-1} \cdot B_{d,-1}\right)\)
\(G=G_{\text {rout }}+G_{\text {mois }}\)
\(G_{\text {rout }}=G_{\text {rout },-1} \cdot\left(1+g_{G}^{\text {rout }}\right)\)
\(G_{\text {mois }}=G_{\text {mois, }-1} \cdot\left(1+g_{G}^{\text {mois }}\right)\)
\(G_{g r}=\alpha \cdot G_{\text {mois }}\)
\(G_{\text {tech }}=(1-\alpha) \cdot G_{\text {mois }}\)
```


## Government Budget

$B_{s}=B_{s,-1}+G D E F$
$G D E F=G+r_{b,-1} \cdot\left(B_{s,-1}-B_{c b,-1}\right)-T$
$G D E B=G D E B_{-1}+G D E F$
$r_{b}=r_{c b}+\mu_{b}$
$\mu_{b}=\eta_{0}+\eta_{1} \cdot d_{T,-1}$

The Ecosystem: Material Resources and Reserves

```
\(y_{\text {mat }}=\mu \cdot Y_{s}\)
mat \(=y_{\text {mat }}-r e c\)
rec \(=\rho_{\text {rec }} \cdot d e s\)
des \(=\mu \cdot\left(D A_{f}+\zeta \cdot D C_{-1}\right)\)
\(D C=D C_{-1} \cdot(1-\zeta)+C\)
\(k_{s e}=k_{s e,-1}+y_{\text {mat }}-d e s\)
\(w a=m a t+c e n+o 2-e m i s-\Delta k_{s e}=m a t-\Delta k_{s e}\)
\(h w s=h w s_{-1}+h a z \cdot w a\)
hratio \(=\frac{h w s}{\text { surf }}\)
\(k_{m}=k_{m,-1}+\) conv \(_{m}-m a t\)
conv \(_{m}=\max \left(\sigma_{m,-1} \cdot\right.\) res \(_{m,-1}\), mat \(\left._{-1}\right)\)
```

(84) Taxes on LC's income
(85) Taxes on UC's income (excluding capital gains)
(86) Total government spending (net of interest payments)
(87) Routine government spending
(88) Mission-oriented innovation spending by government (MOIS)
(89) Government MOIS devoted to green conversion
(90) Other government MOIS (e.g., new technologies)
(91) Nominal supply of government bills
(92) Government deficit (note: no interest payments on government bills held by CB)
(93) Stock of government debt
(94) Return rate on government bills
(95) Risk premium on T-bills
(96) Production of material goods
(97) Extracted matter
(98) Recycled socio-economic stock
(99) Demolition or disposition of socio-economic stock
(100) Durable goods (lasting more than one period)
(101) Socio-economic stock
(102) Waste generated by production process
(103) Hazardous waste level
(104) Hazardous waste ratio ( $\mathrm{Gt} / \mathrm{Km}^{2}$ )
(105) Stock of material reserves
(106) Material resources converted to reserves

$$
\begin{aligned}
& r e s_{m}=\operatorname{res}_{m,-1}-\operatorname{conv}_{m} \\
& p_{m}=p_{m}^{0}+p_{m}^{1} \cdot \frac{m a t_{-1}}{\sigma_{m,-1} \cdot \text { res }_{m,-1}} \\
& \sigma_{m}=\sigma_{m}^{0}+\sigma_{m}^{1} \cdot E\left(p_{m}\right) \\
& \text { cen }=\frac{e m i s}{c a r} \\
& o 2=\text { emis }-c e n
\end{aligned}
$$

The Ecosystem: Energy Resources and Reserves
$e=\varepsilon \cdot Y_{s}$
$e r=\eta_{e n} \cdot e$
$e n=e-e r$
$e d=e n+e r$
$k_{e n}=k_{e n,-1}+\operatorname{conv}_{e n}-e n$
$\operatorname{conv}_{e n}=\max \left(\sigma_{e n,-1} \cdot \operatorname{res}_{e n,-1}, e n_{-1}\right)$
$r e s_{e n}=\operatorname{res}_{e n,-1}-\operatorname{conv}_{e n}$
$p_{e n}=p_{e n}^{0}+p_{e n}^{1} \cdot \frac{e n_{-1}}{\sigma_{e n,-1} \cdot \operatorname{res}_{e n,-1}}$
$\sigma_{e n}=\sigma_{e n}^{0}+\sigma_{e n}^{1} \cdot E\left(p_{e n}\right)$

## Emissions and Climate Change

emis $_{\text {in }}=\beta \cdot$ en
$e m i s_{l}=e m i s_{l,-1} \cdot\left(1-g_{l}\right)$
$e m i s=e m i s_{i n}+e m i s_{l}$
co $2_{A T}=$ emis $+\psi_{11} \cdot \operatorname{co~}_{A T,-1}+\psi_{21} \cdot \operatorname{co} 2_{U P,-1}$
$\operatorname{co} 2_{U P}=\psi_{12} \cdot \operatorname{co} 2_{A T,-1}+\psi_{22} \cdot \operatorname{co} 2_{U P,-1}+\psi_{32} \cdot \operatorname{co} 2_{L O,-1}$
$\operatorname{co} 2_{L O}=\psi_{23} \cdot \operatorname{co} 2_{U P,-1}+\psi_{33} \cdot \operatorname{co} 2_{L O,-1}$
$F=F_{2} \cdot \log _{2}\left(\frac{c o 2_{A T}}{c o 2_{A T}^{P R E}}\right)+F_{e x}$
$F_{e x}=F_{e x,-1}+f e x$
(107) Stock of material resources
(108) Unit price of extracted matter
(109) Actual conversion rate of matter resources
(110) Carbon mass of (non-renewable) energy
(111) Mass of oxygen ( $\mathrm{O}_{2}$ )
(112) Total energy required for production
(113) Renewable energy at the end of the period
(114) Non-renewable energy
(115) Dissipated energy at the end of the period
(116) Stock of energy reserves
(117) Energy resources converted to reserves
(118) Stock of energy resources
(119) Unit price of energy
(120) Actual conversion rate of energy resources
(121) Industrial emissions of $\mathrm{CO}_{2}$
(122) Land emissions of $\mathrm{CO}_{2}$
(123) Total emissions of $\mathrm{CO}_{2}$
(124) Atmospheric $\mathrm{CO}_{2}$ concentration
(125) Upper ocean / biosphere $\mathrm{CO}_{2}$ concentration
(126) Lower ocean $\mathrm{CO}_{2}$ concentration
(127) Radiative forcing over pre-industrial levels ( $\mathrm{W} / \mathrm{m}^{2}$ )
(128) Radiative forcing ( $\mathrm{W} / \mathrm{m}^{2}$ ) due to non $-\mathrm{CO}_{2}$ greenhouse gases

$$
\begin{aligned}
T_{A T} & =T_{A T,-1}+t_{1} \cdot\left[F-\frac{F_{2}}{\operatorname{sens}} \cdot T_{A T,-1}-t_{2} \cdot\left(T_{A T,-1}-T_{L O,-1}\right)\right] \\
T_{L O} & =T_{L O,-1}+t_{3} \cdot\left(T_{A T,-1}-T_{L O,-1}\right)
\end{aligned}
$$

## Ecological Efficiency

$$
\begin{aligned}
& \mu=\mu_{g r} \cdot \frac{K_{g r}}{K_{f}}+\mu_{c} \cdot \frac{K_{c}}{K_{f}} \\
& \varepsilon=\varepsilon_{g r} \cdot \frac{K_{g r}}{K_{f}}+\varepsilon_{c} \cdot \frac{K_{c}}{K_{f}} \\
& \beta=\beta_{g r} \cdot \frac{K_{g r}}{K_{f}}+\beta_{c} \cdot \frac{K_{c}}{K_{f}} \\
& \eta_{e n}=\eta_{g r} \cdot \frac{K_{g r}}{K_{f}}+\eta_{c} \cdot \frac{K_{c}}{K_{f}} \\
& \rho_{m}=\frac{m a t}{k_{m,-1}} \\
& \rho_{e n}=\frac{e n}{k_{e n,-1}}
\end{aligned}
$$

## Ecological Feedbacks and Damages

$$
\begin{aligned}
& \delta_{c}=\delta_{c}^{0}+\left(1-\delta_{c}^{0}\right) \cdot\left(1-a d_{K}^{c}\right) \cdot d_{T F,-1} \\
& \delta_{g}=\delta_{g}^{0}+\left(1-\delta_{g}^{0}\right) \cdot\left(1-a d_{K}^{g}\right) \cdot d_{T F,-1} \\
& a_{f}=a_{f,-1} \cdot\left(1+g_{f}\right) \cdot\left[1-\left(1-a d_{P}\right) \cdot d_{T P,-1}\right] \\
& g_{f}=g_{f 0}+g_{f 1} \cdot g_{B E,-1} \\
& a_{n}=a_{n,-1} \cdot\left(1+g_{n}\right) \cdot\left[1-\left(1-a d_{P}\right) \cdot d_{T P,-1}\right] \\
& g_{n}=g_{n 0}+g_{n 1}+g_{n 2} \cdot g_{y,-1} \\
& g_{n 0}=g_{n 0,-1} \cdot\left(1-g_{n 3}\right) \\
& d_{T}=1-\frac{1}{1+\text { dam }_{1} \cdot T_{A T}+\text { dam }_{2} \cdot T_{A T}^{2}+\text { dam }_{3} \cdot T_{A T}^{x}} \\
& d_{T P}=\operatorname{dam}_{P} \cdot d_{T} \\
& d_{T F}=1-\frac{1-d_{T}}{1-d_{T P}}
\end{aligned}
$$

(129) Atmospheric temperature (C)
(130) Lower ocean temperature (C)
(131) Matter-intensity coefficient
(132) Energy-intensity coefficient
(133) $\mathrm{CO}_{2}$-intensity coefficient
(134) Share of renewable energy sources
(135) Matter depletion ratio (net of recycling)
(136) Non-renewable energy depletion ratio
(137) Impact of climate change on conventional capital stock depreciation
(138) Impact of climate change on green capital stock depreciation
(139) Product per unit of (either conventional or green) capital
(140) Growth rate of product per unit of capital
(141) Labour productivity
(142) Growth rate of labour productivity
(143) Deceleration rate of labour productivity
(144) Proportion of gross damage due to changes in at. temperature $(x=6.6754)$
(145) Productivity damage
(146) Fund damage

Labour force, Employment and Working Time

$$
\begin{aligned}
& L F=L F_{-1} \cdot\left(1+g_{L F}\right) \cdot\left[1-\left(1-a d_{L F}\right) \cdot d_{T F,-1}\right] \\
& g_{L F}=l f_{0}+l f_{1}-l f_{2} \cdot u n_{-1}-l f_{3} \cdot \text { hratio }_{-1} \\
& l f_{0}=l f_{0,-1} \cdot\left(1-l f_{4}\right) \\
& N=\frac{Y_{S}}{H \cdot a_{n}} \\
& H=H_{-1}+h_{1} \cdot\left(e m_{-1}-h_{2}\right) \\
& e m=\frac{N}{L F} \\
& \text { un }=1-e m
\end{aligned}
$$

Production Function and Price Level

$$
\begin{aligned}
& Y_{f}^{*}=a_{f} \cdot K_{f,-1} \\
& Y_{n}^{*}=a_{n} \cdot L F_{-1} \cdot H_{-1} \\
& Y_{m}^{*}=\frac{k_{m,-1}+r e c}{\mu} \\
& Y_{e n}^{*}=\frac{k_{e n,-1}}{\varepsilon} \\
& Y_{\text {tec }}^{*}=\min \left(Y_{f}^{*}, Y_{n}^{*}\right) \\
& Y_{e c o}^{*}=\min \left(Y_{m}^{*}, Y_{e n}^{*}\right) \\
& Y^{*}=\min \left(Y_{\text {tec }}^{*}, Y_{e c o}^{*}\right) \\
& p_{y}=\frac{w}{a_{n}} \cdot(1+m k) \\
& w=w_{-1} \cdot\left(1+w_{a} \cdot \frac{d\left(a_{n}\right)}{a_{n}}\right) \\
& m k=m k_{0}+m k_{1} \cdot \frac{Y_{s,-1}}{Y_{-1}^{*}} \\
& p=\pi_{1} \cdot p_{y}+\pi_{2} \cdot p_{e n}+\pi_{3} \cdot p_{m} \\
& p_{w}=p \cdot\left(1+v a t_{w}\right) \\
& p_{\pi}=p \cdot\left(1+v a t_{\pi}\right) \\
& E(x)=x_{-1}+\psi \cdot\left[E\left(x_{-1}\right)-x_{-1}\right]
\end{aligned}
$$

(147) Labour force level
(148) Labour force growth rate
(149) Autonomous component of labour force growth rate
(150) Employment level
(151) Annual working time
(152) Employment rate
(153) Unemployment rate
(154) Capital-determined potential output
(155) Labour-determined potential output
(156) Matter-determined potential output
(157) Energy-determined potential output
(158) Economically-constrained potential output
(159) Ecologically-constrained potential output
(160) Potential output (Leontief function)
(161) Unit price of production
(162) Money wage rate
(163) Gross mark-up over labour cost
(164) General price level (output deflator)
(165) Price paid by LC including VAT
(166) Price paid by UC including VAT
(167) Expectation function (with: $x=p, r_{b}, r_{d}, r_{e}$ )

Other Utilisation Rates

$$
\begin{aligned}
& u_{m}=\frac{Y_{s}}{Y_{m}} \\
& u_{e n}=\frac{Y_{S}}{Y_{e n}}
\end{aligned}
$$

Redundant Equation
$H_{s}=H_{d}$
(168) Matter utilisation rate
(169) Energy utilisation rate

Cash: supply = demand

