

Circular economy innovations in an input-output stock-flow consistent dynamic model

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JUST2CE

A Just Transition to Circular Economy



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 - 1) To show how an **IO-SFC model** can be developed from scratch
 - 2) To assess the impact of a **CE innovation** on the economy, the society and the ecosystem

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- e) Solution: numerical simulation (*R* code)

NOMINAL VALUE OF ASSETS AND LIABILITIES

TABLE 1: Balance sheet in period $t = 20$ (baseline scenario)

	Households	Firms	Government	Banks	CB	Foreign	Total
Money	46.43	0	0	0	-46.43	0	0
Advances	0	0	0	0	0	0	0
Deposits	272.29	0	0	-272.29	0	0	0
Loans	0	-36.62	0	36.62	0	0	0
Bills	35.41	0	-367.09	235.67	46.43	49.58	0
Capital stock	0	36.62	0	0	0	0	36.62
Net financial wealth	-354.13	0	367.09	0	0	-49.58	-36.62
Total	0	0	0	0	0	0	0

MONEY TRANSACTIONS AND CHANGES IN STOCKS

TABLE 2: Transactions-flow matrix in period $t = 20$ (baseline scenario)

	Households	Firms		Government	Banks	CB	Foreign	Tot.
		Current	Capital					
Consumption	-522.91	522.91	0	0	0	0	0	0
Investment	0	11.55	-11.55	0	0	0	0	0
Government spending	0	180	0	-180	0	0	0	0
Export	0	73.29	0	0	0	0	-73.29	0
Import	0	-78.77	0	0	0	0	78.77	0
[Value added]	0	[708.97]	0	0	0	0	0	0
Wage bill	322.26	-322.26	0	0	0	0	0	0
Corporate profit	383.80	-383.8	0	0	0	0	0	0
Amortization	0	-1.83	1.83	0	0	0	0	0
Bank profit	4.67	0	0	0	-4.67	0	0	0
Tax revenue	-142.97	0	0	142.97	0	0	0	0
Interests on deposits	4.67	0	0	0	-4.67	0	0	0
Interests on loans	0	-1.08	0	0	1.08	0	0	0
Interests on bills	1.21	0	0	-11.18	8.27	0	1.70	0
Change in money stock	-6.93	0	0	0	0	6.93	0	0
Change in advances	0	0	0	0	0	0	0	0
Change in deposits	-38.73	0	0	0	38.73	0	0	0
Change in loans	0	0	9.71	0	-9.71	0	0	0
Change in bills	-5.07	0	0	48.20	-29.02	-6.93	-7.18	0
Total	0	0	0	0	0	0	0	0

SELECTED EQUATIONS: HOUSEHOLDS

- Total “real” consumption is:

$$c = \alpha_1 \cdot \frac{YD^w}{E(p_A)} + \alpha_2 \cdot \frac{YD^c}{E(p_A)} + \alpha_3 \cdot \frac{V_{-1}}{p_{A,-1}} \quad (1)$$

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- Households' total disposable income:

$$YD = w \cdot N + F_f + F_b + r_{m,-1} \cdot M_{h,-1} + r_{b,-1} \cdot B_{h,-1} - T \quad (2)$$

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- Disposable labour income in each industry j is:

$$YD_j^w = w \cdot N_j \cdot (1 - \theta), \quad \text{with } j = 1, 2 \quad (3)$$

SELECTED EQUATIONS: FIRMS (CURRENT)

- Let us consider a 3×3 production. The **final demand** vector is:

$$\mathbf{d} = \begin{pmatrix} \beta_1 \\ \beta_2 \\ \beta_3 \end{pmatrix} \cdot c + \begin{pmatrix} \iota_1 \\ \iota_2 \\ \iota_3 \end{pmatrix} \cdot i_d + \begin{pmatrix} \sigma_1 \\ \sigma_2 \\ \sigma_3 \end{pmatrix} \cdot gov + \begin{pmatrix} \eta_1 \\ \eta_2 \\ \eta_3 \end{pmatrix} \cdot exp \quad (4)$$

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- The **gross output** vector is:

$$\mathbf{x} = \mathbf{A} \cdot \mathbf{x} + \mathbf{d} = (\mathbf{I} - \mathbf{A})^{-1} \cdot \mathbf{d}, \text{ with : } \mathbf{A} = \begin{pmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{pmatrix} \quad (5)$$

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- The **net domestic income** of home country is:

$$Y_n = \mathbf{p}^T \cdot \mathbf{d} - \mathbf{p}^T \cdot (\mathbf{m} \odot \mathbf{d}) \quad (6)$$

SELECTED EQUATIONS: FIRMS (CAPITAL)

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- The end-of-period stock of **bank loans** is defined residually:

$$L_f = L_{f,-1} + i_d \cdot p_1 - AF, \quad \text{with : } AF = \delta \cdot k \cdot p_1 \quad (9)$$

SELECTED EQUATIONS: COMMERCIAL BANKS

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- whereas **advances** obtained from the CB are:

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SELECTED EQUATIONS: GOVERNMENT AND CB

- The supply of government bills is:

$$B_s = B_{s,-1} + g \cdot p_G - T + r_b \cdot (B_h + B_b + B_{fo}) \quad (14)$$

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- Therefore, **cash supply** is:

$$H_s = H_{s,-1} + (B_{cb} - B_{cb,-1}) + (A_s - A_{s,-1}) \quad (16)$$



SELECTED EQUATIONS: FOREIGN MARKET

- Real export follows a stock-flow norm:

$$exp = \alpha_4 \cdot \frac{YD_{fo}}{E(p_{fo})} + \alpha_5 \cdot \frac{V_{fo,-1}}{p_{fo,-1}} \quad (17)$$

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- The foreign stock of net wealth is:

$$V_{fo} = V_{fo,-1} + YD_{fo} - p_{fo} \cdot exp \quad (19)$$

SELECTED EQUATIONS: PRICES

- If firms use a mark-up rule, the unit price of production vector is:

$$\mathbf{p}^* = w \cdot \mathbf{l} + \mathbf{p}^* \cdot \mathbf{A} \odot \mathbf{m}^* \quad (20)$$

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- The **average price of consumption** is:

$$p_A = \mathbf{p}^T \cdot \beta, \quad \text{with : } \beta = \begin{pmatrix} \beta_1 \\ \beta_2 \\ \beta_3 \end{pmatrix} \quad (22)$$

SELECTED EQUATIONS: PORTFOLIO CHOICES

- Households' demand for bills is:

$$\frac{B_h}{V} = \lambda_0 - \lambda_1 \cdot r_m + \lambda_2 \cdot r_b - \lambda_3 \cdot \frac{YD}{V} \quad (23)$$

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- The redundant equation is:

$$H_h = H_s$$

FIGURE 1. SANKEY DIAGRAM OF TFM (IN $t = 20$)

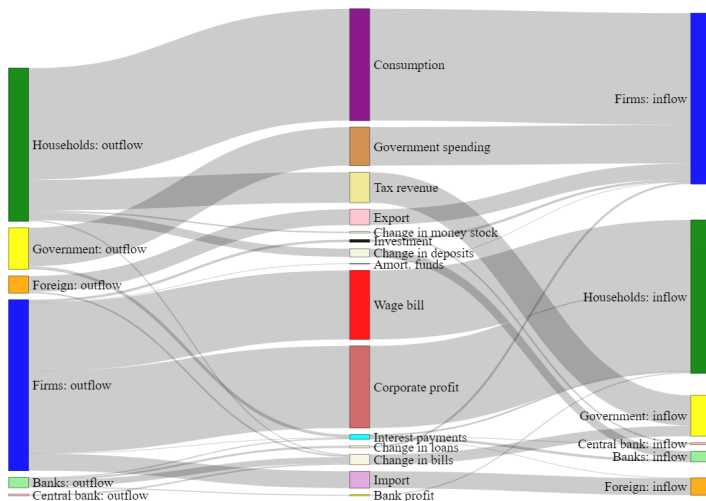


FIGURE 2. CROSS-INDUSTRY PHYSICAL FLOWS (IN $t = 205$)

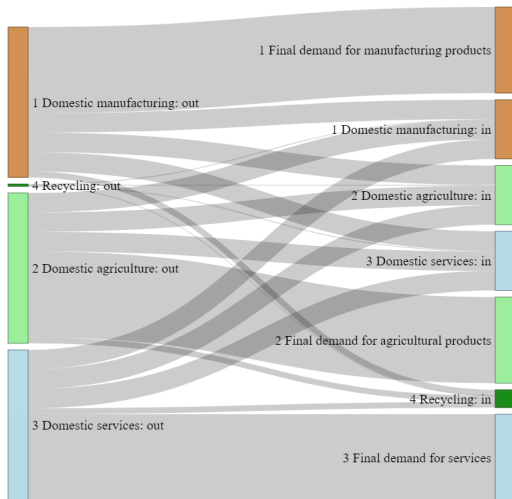
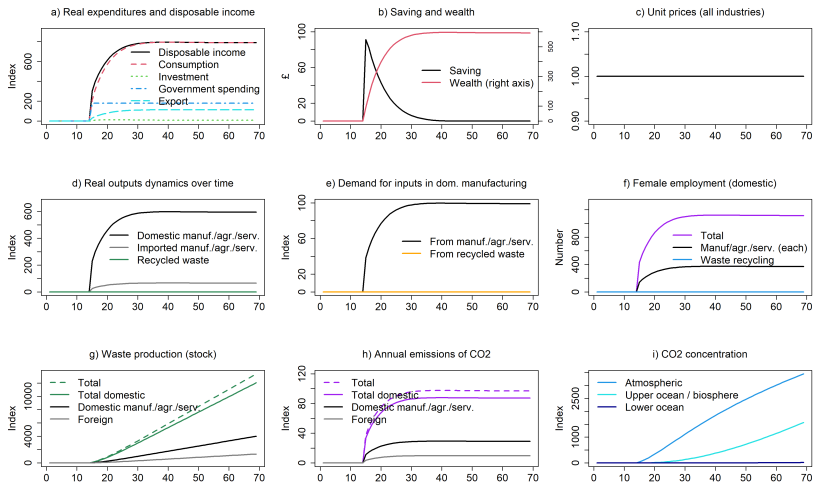


FIGURE 3. MODEL DYNAMICS: BASELINE



INPUT-OUTPUT TABLE

TABLE 3: Input-output matrix in period $t = 20$ (baseline scenario)

	Manuf.	Agric.	Serv.	Recyc.	Total	Fin. dem.	Tot. output
Manufacturing (production)	67.67	67.67	67.67	0	203.02	248.14	451.16
Agriculture (production)	67.67	67.67	67.67	0	203.02	248.14	451.16
Services (provision)	67.67	67.67	67.67	0	203.02	248.14	451.16
Recycling (production)	0	0	0	0	0	0	0
Value added	236.32	236.32	236.32	0	708.97		
~ Disposable income	191.22	191.22	191.22	0	573.65		
~ Tax revenue	47.66	47.66	47.66	0	142.97		
~ Interest payments (-)	-2.55	-2.55	-2.55	0	-7.65		
Import (production)	11.82	11.82	11.82	0	35.45	-35.45	
Total output	451.16	451.16	451.16	0	1353.49	708.97	1353.49

EXTENDED INPUT-OUTPUT TABLE

TABLE 4: Extended IO matrix in period $t = 20$ (baseline scenario)

	Manufacturing	Agriculture	Services	Recycling	Total
Disposable labour income	85.94	85.94	85.94	0	257.81
Disposable capital income	105.28	105.28	105.28	0	315.84
Functional income inequality	0.18	0.18	0.18	0	0.18
Total employment	537.10	537.10	537.10	0	1611.30
~ Male employment	268.55	268.55	268.55	0	805.65
~ Female employment	268.55	268.55	268.55	0	805.65
Share of female employment	0.50	0.50	0.50	0	0.50
Waste production	220.97	220.97	220.97	0	662.91
Annual emissions of CO2	21.05	21.05	21.05	0	63.16

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$$\mathbf{A} = \begin{pmatrix} a_{11} & a_{12} & a_{13} & 0 \\ a_{21} & a_{22} & a_{23} & 0 \\ a_{31} & a_{32} & a_{33} & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix}$$

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- A CE innovation implies a change in technical coefficients...

A SIMPLE CE INNOVATION

- The new matrix will be:

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- Waste now enters the production process (●)
- Manuf. and agric. products and services are used as inputs in waste industry (●)

THE ROLE OF THE GOVERNMENT SECTOR

- The average speed of convergence of technical coefficients to their target values is defined as a linear, positive function of government expenditures:

$$a_{ij} = a_{ij,-1} + \gamma_A \cdot (a'_{ij,-1} - a_{ij,-1}) \quad (26)$$



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- where γ_A is defined as:

$$\gamma_A = \gamma_A^0 + \Gamma_A^T \cdot \sigma \cdot gov_{-1} \quad (27)$$



WASTE AND EMISSIONS

- The quantity of waste generated by each (domestic) industry is:

$$WA_j = WA_{j,-1} + (x_j - x_{j,fo}) \cdot (\zeta_j - a_{j,4}) \quad (28)$$

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- Atmospheric CO_2 concentration is then calculated using carbon cycle equations.

FIGURE 4. SELECTED VARIABLES AFTER CE INNOVATION

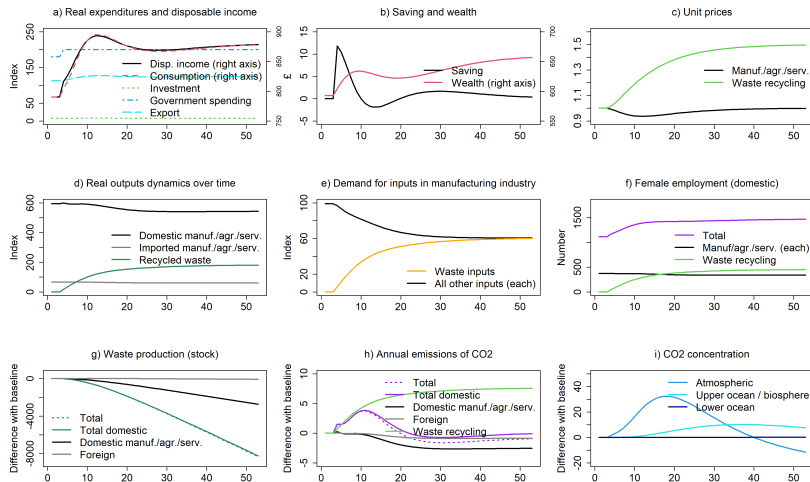


FIGURE 5. INCOME DISTRIBUTION AND GENDER SEGREGATION

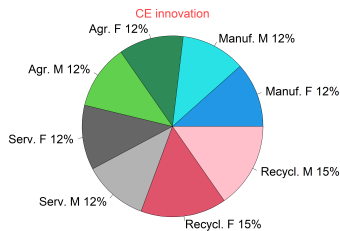
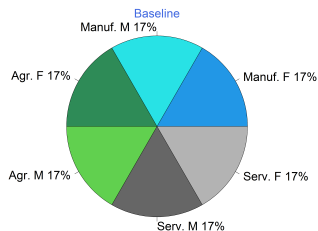
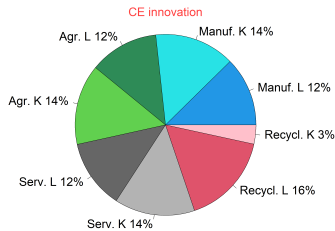
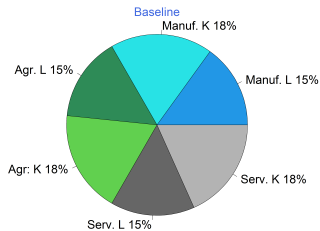


FIGURE 6. GENDER SEGREGATION OVER TIME

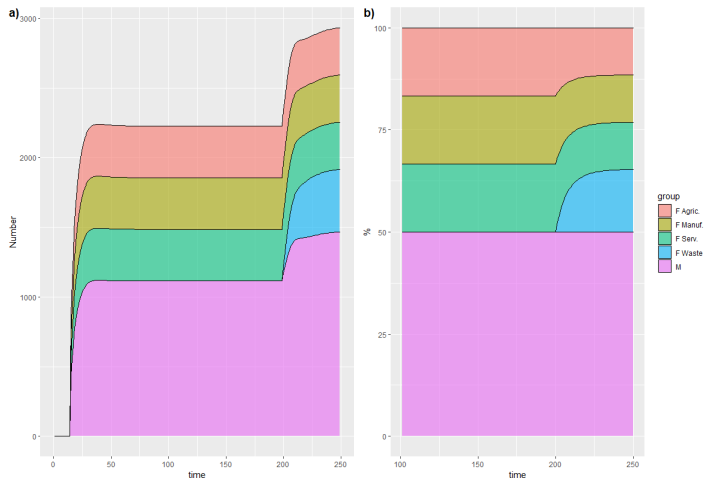


FIGURE 7. THE FOREIGN SECTOR

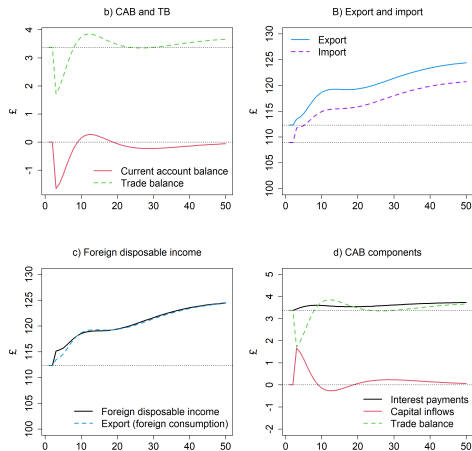
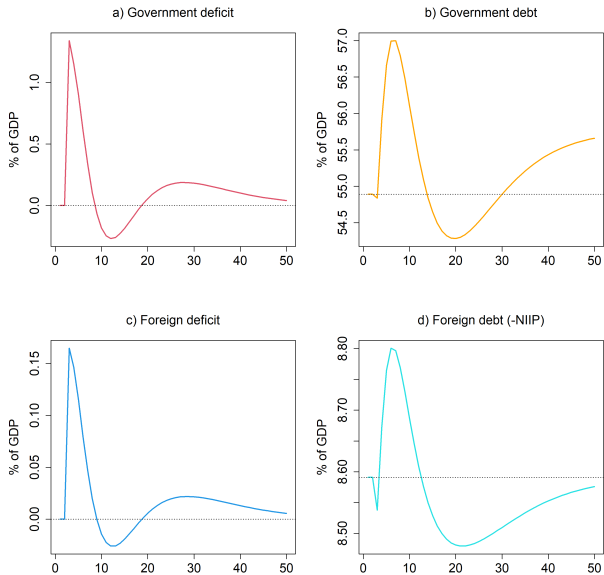


FIGURE 8. PUBLIC FINANCES



FINAL REMARKS

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 - f) Improve solver / perform stability analysis

Thank you

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JUST2OE
A Just Transition to Circular Economy



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